International Journal of Scientific Research in Computer Science, Engineering and Information Technology
© 2018 IJSRCSEIT | Volume 3 | Issue 5 | ISSN : 2456-3307

Design and Implementation Radix based Booth Multiplier Using High Speed Applications

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ABSTRACT

The multiplier dominated applications such as digital signal processing, wireless communications, and computer applications, high speed multiplier designs has always been a primary requisite. Radix 8 it is necessary to compute 3X, X being the multiplicand. In order to avoid the penalty due to this calculation, we propose decoupling it from the product and considering 3X as an extra operation within the application's Dataflow Graph (DFG). Experiments show that typically there is enough slack in the DFGs to do this without degrading the performance of the circuit, which permits the efficient deployment of radix 8 multipliers that do not calculate the 3X multiple. Higher radix should produce even larger reductions, especially in terms of area .we are perform the improving the proposed work using the carry look ahead adder this adder is very fast adder then the other adders, it improves the delay of the proposed work. results are shown in XILINX 14.3ISE.

Key words: DWT, Data flow graph, booth multiplier, verilog HDL.

I. INTRODUCTION

Multiplication is one of the fundamental arithmetic operations utilized in nearly all sign processing algorithms of all instructions in abnormal clinical program are multiplications. In present state of affairs the elevated stage of integration added approximately by using modern VLSI generation has rendered possible the integration of many complex additives in a unmarried chip.

This has made the systems quicker and as a result beneficial for actual time packages like cell digital signal processing, multimedia applications, clinical computations etc. The developing market for rapid floating-factor processors, virtual sign processing chips, and pics processors has also created a demand for the excessive pace, vicinity-efficient multipliers. Current multiplier architectures range from small, low-overall performance shift and upload multipliers, to massive, excessive performance array and tree multipliers. Taking this into attention various researchers have developed novel algorithms and circuit strategies to offer better speed and optimized use of silicon location. Multiplication is a three-step process.

Generation of partial products: Partial merchandise are generated from the inputs. Partial product is represented by means of a row of dots inside the figure. The partial product are all produced in parallel. There are several methods of generating the partial products.

Summing up of partial products into two rows: The generated partial products need to be amassed to provide the very last end result. However the simple addition of each partial product includes a incredibly long latency convey propagation computation. For the reason of dashing up, all the partial product rows are first summed up to offer simplest two rows (known as sum and carry rows) by way of the usage of special adder architectures,.

Addition of the two rows: Bring propagate adder: Sum and deliver rows together represent the result of multiplication. The final result is received handiest with the aid of adding sum and deliver rows together. The Discrete Wavelet Transform (DWT) performs a prime role in the fields of sign analysis, computer imaginative and prescient, object popularity, image compression and video compression trendy. The benefit of DWT over other traditional variations is that it plays multi resolution evaluation of signals with localization each in time and frequency. At present, many VLSI architectures for the DWT have been proposed to fulfill the requirements of real-time processing. The implementation of DWT in practical gadget has troubles. First, the complexity of wavelet transform is several times higher than that of DCT.

The principles and technique to contain multi speculation to HLS can be generalized and defined in detail. Although all the aforementioned techniques can be carried out immediately to sure DFGs which might be precisely inside the form of additive binary timber, there are cases where the DFG includes numerous additive trees as subcomponents. In such instances, the usage of multi speculation could be limited handiest to the ones additive bushes. For this cause, it is necessary to design an set of rules to pick out those additive structures wherein multi speculation may be applied, to broaden an automated technique to maintain the data path in a correct kingdom, and eventually to outline an interface for communicating with the controller.

It techniques the DFG in a depth-first fashion, beginning at the outputs, and stopping in each department as soon as a product node is discovered. The process is repeated until each node has an additive tree to belong to. The creation of carry-propagation addition is carried out afterwards. Every tree is processed till no greater deliver-propagation additions are wanted. Regarding the scheduling and binding, due to the aforementioned operators' restriction, a combined resource confined scheduling and binding algorithm has been carried out. In order to agenda operations, first they're ordered consistent with the inverse of their mobility, and then they are scheduled and bound if there's a appropriate unfastened FU. The electricity and power usage of the layout is completely characterized by the radix -8 booth multiplier Additionally,. The method takes advantage of unused Look Up Table inputs to lessen signal hobby in a layout at no additional good judgment fee. Though simplest restricted assessments have been completed using this DFG technique, initial improvements in energy and delay.

II. EXISTING SYSTEM

Radix -2 Booth multiplier:

A multiplier generator that creates a smaller range of partial merchandise will allow the partial product summation to be efficient and use much less hardware. The simple multiplication generator may be extended to lessen the wide variety of partial merchandise via grouping the bits of the multiplier into pairs, and selecting the partial merchandise from the set of 0, M, 2M or their complements, wherein M is the multiplicand. This reduces the quantity of partial merchandise, by means of a thing but also generates some extra-bits for the signal extension and the two's complementation.

All partial products set can be produced the usage of simple transferring and complementing. The multiplier is partitioned into overlapping groups of three bits, and each group is decoded to pick out a single partial product. Each partial product is shifted 2 bit positions with appreciate to its associates. The wide variety of partial products had been reduced to half of total variety of multiplier bits. In general the there may be n/2 merchandise, where n is the operand period. The multiply through 2 can be received by a simple left shift of the multiplicand. In

Multiplier and Accumulation structure the multiplier may be divided into four operation steps Booth set of rules, 2d step – partial product summation, third step – final addition, fourth step accumulation.

Step 1: Multiplication system achieved among n bits Multiplicand (X) and m bits Multiplier (Y).
Step 2: n bits Partial products (P0˜Pj) might be generated after multiplying n bits and m bits.
Step three: Final addition between Partial products Summation (S) bits and Carry(C) bits.
Step 4: Accumulation results takes vicinity between multiplication effects (X*Y) and ultimately gets Accumulation Result (Z).

Table 1. radix -2 booth encoding table

Bits of operand	Selection
000	0
001	+ Multiplicand
010	+ Multiplicand
011	+ 2 * multiplicand
100	- 2 * multiplicand
101	- Multiplicand
110	- Multiplicand
111	0

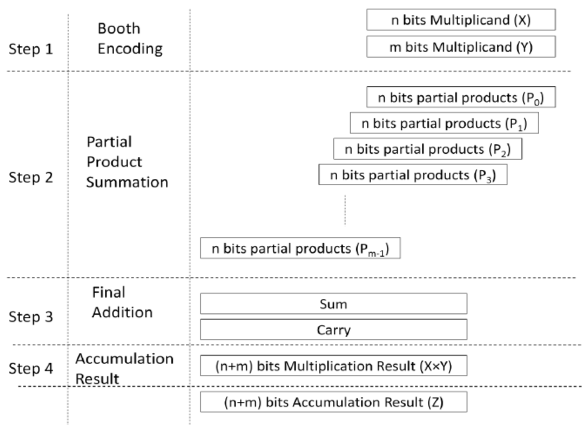

Step 1
Booth Encoding
n bits Multiplicand (X)
m bits Multiplicand (Y)
Step 2
Partial Product Summation
n bits partial products (P0)
n bits partial products (P1)
n bits partial products (P2)
n bits partial products (P3)
n bits partial products (Pm-1)
Step 3
Final Addition
Sum
Carry
Step 4
Accumulation Result
(n+m) bits Multiplication Result (X×Y)
(n+m) bits Accumulation Result (Z)

Figure 1. Basic Arithmetic steps of Multiplication and Accumulation

Radix-4 Booth multiplier:

To keep away from the troubles in Radix -2 algorithm, attention of excessive speed multipliers is needed. One of the answers of figuring out excessive speed multipliers is to enhance parallelism which allows to lower the number of subsequent calculation levels. The original model of the Booth algorithm (Radix-2) had drawbacks .The variety of upload subtract operations and the range of shift operations are variable and come to be inconvenient in designing parallel multipliers. The set of rules turns into inefficient when there are remoted 1's. These are conquer by the use of changed Radix-4 Booth multiplication algorithm.

This algorithm scans strings of 3 bits at a time as follows:

1) Extend the sign bit 1 role if important to ensure that n is even.
2) Append a 0 to the proper of the LSB of the multiplier.
3) According to the cost of every vector, each Partial Product will bhe zero, +y, -y, +2y or -2y.

The multiplicand encoding manner the use of Radix -4 Booth set of rules is based on the multiplier bits . It will compare 3 bits at a time with overlapping approach. Grouping starts off evolved from the LSB, and the first block uses best two bits of the multiplier and assumes a 0 for the third bit. It includes eight distinctive kinds of states as we're evaluating 3bits at a time and all through these states we are able to gain the consequences, that are multiplication of multiplicand with zero,-1 and -2 consecutively. The nation diagram gives various logics to carry out the Radix-4 Booth multiplication in extraordinary states as consistent with the adopting encoding approach.

Table 2. Radix-4 Booth Encoding Table

Block	Partial Product
000	0
001	1*multiplicand
010	1*multiplicand
011	2*multiplicand
011	2*multiplicand
100	-2*multiplicand
101	-1*multiplicand
110	-1*multiplicand
111	0

At closing the addition of partial merchandise is finished by way of tree kind hybrid adder. The simulation end result of Radix-four Booth multiplier in which they may be binary inputs as input, one is multiplicand and any other one is multiplier. If both binary numbers are fantastic then it will perform sales space encoding.

Typically 3X is computed because the addition of 2X+X and –3X as its negation, increasing the essential direction of the multiplier. We leverage the lifestyles of slack cycles within the records course to compute those 3X multiples. In this way we are able to take benefit of the larger height reduction produced by the radix-eight recoding as opposed to the radix 4-based totally one.

III. PROPOSED SYSTEM

Radix-8 booth multiplier:

The performance much like a traditional radix four Booth multiplier, but with place and energy ranging between the radix 4 and radix eight Booth implementations. Leveraging the slack that frequently seems when scheduling a DFG, on this paper we advocate precalculating the 3X tough multiples to installation highly efficient radix 8 Booth multipliers, achieving execution time financial savings with appreciate to both radix 4 and radix eight Booth implementation styles, while getting a place and an power lower than the radix -four implementation and near the radix eight one.

Table 3. Radix 8 Booth Recoder

y_{3p+2}	y_{3p+1}	y_{3p}	y_{3p-1}	Select	Select Enc	Sign	y_{3p+2}	y_{3p+1}	y_{3p}	y_{3p-1}	Select	Select Enc	Sign
0	0	0	0	+0X	000	0	1	0	0	0	-4X	100	1
0	0	0	1	+1X	001	0	1	0	0	1	-3X	011	1
0	0	1	0	+1X	001	0	1	0	1	0	-3X	011	1
0	0	1	1	+2X	010	0	1	0	1	1	-2X	010	1
0	1	0	0	+2X	010	0	1	1	0	0	-2X	010	1
0	1	0	1	+3X	011	0	1	1	0	1	-1X	001	1
0	1	1	0	+3X	011	0	1	1	1	0	-1X	001	1
0	1	1	1	+4X	100	0	1	1	1	1	-0X	000	1

Implementation:

In order to reveal the standards of multi hypothesis over entire data paths, our techniques can be carried out to the Discrete Wavelet Transform (DWT) benchmark. Depicts the DWT DFG. Operations are labeled with numbers. Note that every operation desires two operands, but for the sake of clarity, primary enter' arrows aren't proven.

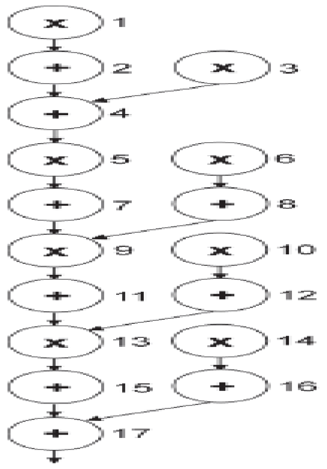


Figure 2. DWT DFG

Corresponds to a traditional resource restrained scheduling using 2 non-speculative multipliers and 1 adder. As it is able to be observed, it takes 28 csteps. Illustrate the application of our method. First, all the additive binary trees are diagnosed. Depicts the 6 bushes that comprise the DWT DFG.

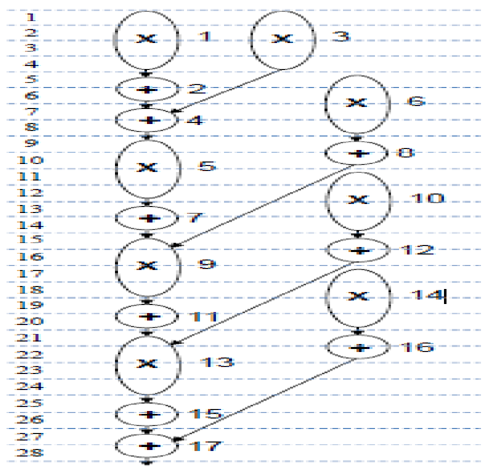


Figure 4. conventional scheduling with non-speculative.

Scheduling and Binding: Assignment of each operation to a time slot corresponding to a clock cycle or time interval.

Resource Allocation : Selection of the kinds of hardware additives and the variety for each kind to be included in the very last implementation.

Module Binding : Assignment of operation to the allocated hardware components.

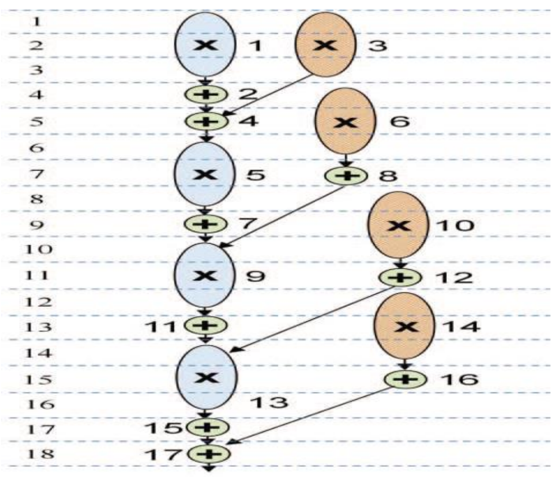


Figure 5. DWT scheduled and bound

Resource-constrained (RC) scheduling:

It includes the construction of an activity timetable, i.E. The dedication of a start and finish time for each project hobby, respecting the priority relations and the restricted availability of the renewable assets. Given a hard and fast of operations with a partial ordering which determines the precedence family members, a fixed of practical unit types, a kind function to map the operations into the practical unit sorts, and resource constraints .For each purposeful unit type. - Find a (most appropriate) agenda for the set of operations that obeys the partial ordering and utilizes handiest the to be had practical units.

ASAP: As quickly as feasible - Sort the operations topologically in line with their facts /manipulate waft ,Schedule operations in the looked after order by means of setting them within the earliest viable manipulate step.

ALAP: As late as possible - Sort the operations topologically according to their data / control flow; - Schedule operations in the reversed order by placing them in the latest possible control step.

We are using ASAP technique for the RC scheduling.

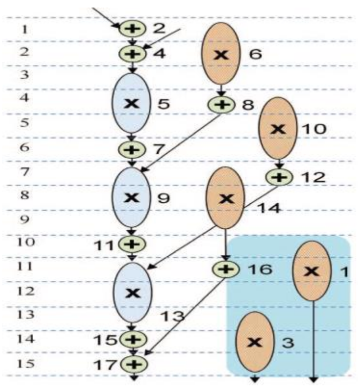


Figure 6. DWT scheduled and bound with RC-module scheduling

Including The 3*x* Calculations:

In the DFG to compute the 3X operations could be described in element. But prior to describing it, the formulation of our trouble is as follows: It introduces a 3X addition node according to product, choosing the farthest predecessor in terms of DFG height, X, of the multiplication. In this way, the possibilities to offer sufficient slack to compute 3X are maximized. Moreover, it's far vital to avoid growing the DFG height, which might also impact the latency of the circuit. This situation is illustrated with the DFG depicted.

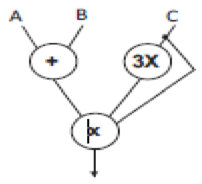


Figure 7. Correct inclusion of the 3X node

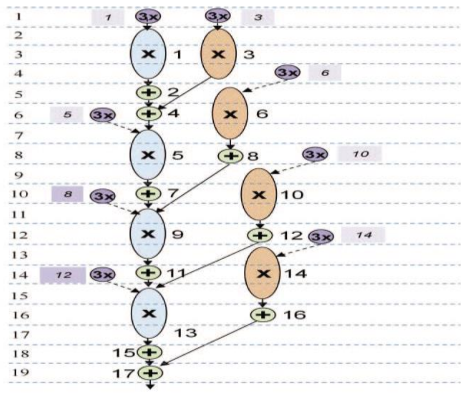


Figure 8. DWT scheduled and bound after the inclusion of the $3X$ multiples pre calculation

Carry look ahead adder:

We are using the adder carry look ahead adder .why because the adder is increase the speed of the addition . The ripple-carry adder, its limiting factor is the time it takes to propagate the carry. The carry look-ahead adder solves this problem by calculating the carry signals in advance, based on the input signals. The result is a reduced carry propagation time. To be able to understand how the carry look-ahead adder works, we have to manipulate the Boolean expression dealing with the full adder.

We are using the carry look ahead adder that is faster adder then the ripple carry adder.

Adding is a hugely important operation. In addition to carrying out the additions that our programs specify, processors must also add for the following reasons:

- Array access involves an addition, we need to add the index to the base address of the array.
- Object field accesses involve an addition, we need to add the field offset to the base address of the object.
- Most local variable accesses involve additions as well, of a stack offset to the base stack address.
- Change of control instructions involve adding offsets to the current instruction address.
- After every instruction, we need to add one to the current instruction address to go on to the next instruction.

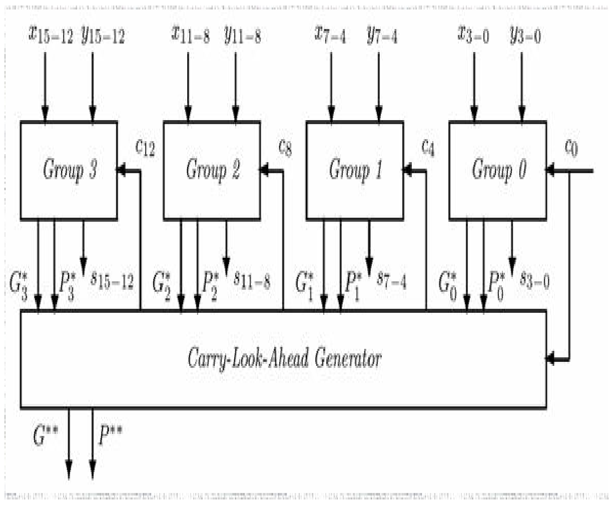


Figure 9

To make the carry generator from 4 bits to n bits, we need only add AND gates and inputs for the OR gate. The largest AND gate in the carry section has always n+1 inputs and the number of AND gates requirements is n. Therefore the design of a 16 bits adder needs the last carry generator section to have AND gates, where the biggest AND gate has inputs in group

The carry look ahead adder is a faster circuit for adding binary numbers because it reduces the propagation time of carry values.

- Doing more work does not necessarily make a circuit slower. Circuits are inherently parallel, and you only count serial operations when discussing speed.
- Designing circuits involves trade-offs among speed, complexity.

IV. RESULTS

Block diagram:

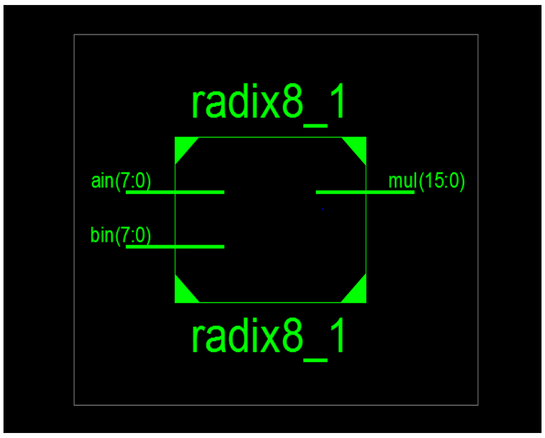


Figure 10

Technology schimatic:

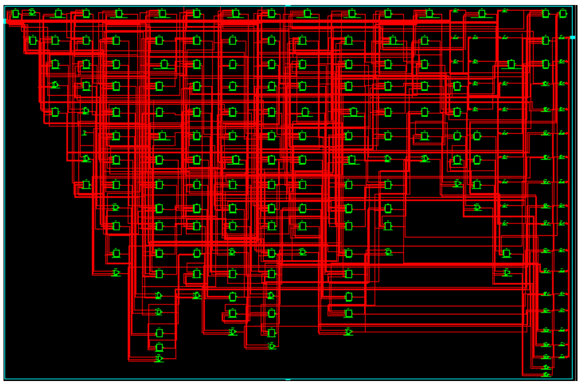
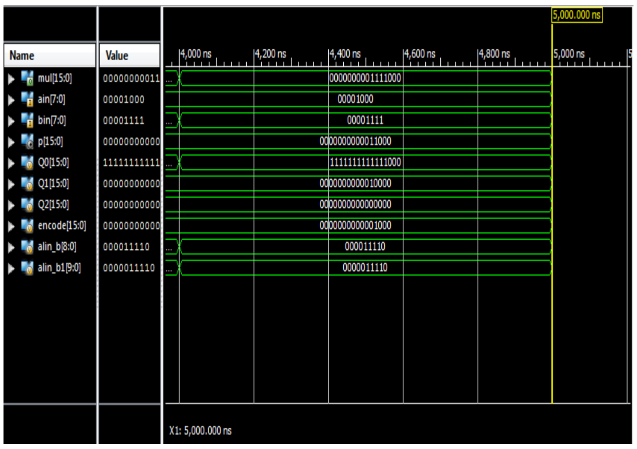


Figure 11

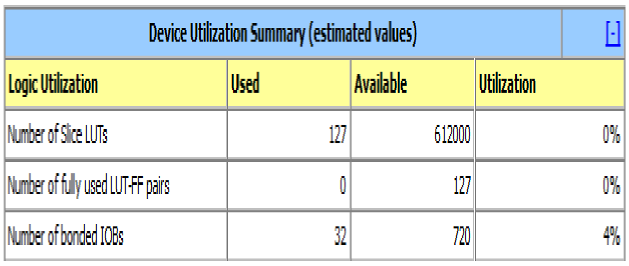
Simulation result:



Name	Value	
mul[15:0]	00000000011	0000000001111000
ain[7:0]	00001000	00001000
bin[7:0]	00001111	00001111
p[15:0]	00000000000	0000000000011000
Q0[15:0]	11111111111	1111111111111000
Q1[15:0]	00000000000	0000000000010000
Q2[15:0]	00000000000	0000000000000000
encode[15:0]	00000000000	0000000000001000
alin_b[8:0]	000011110	000011110
alin_b1[9:0]	0000011110	0000011110

Figure 12

Area:



Device Utilization Summary (estimated values)			
Logic Utilization	Used	Available	Utilization
Number of Slice LUTs	127	612000	0%
Number of fully used LUT-FF pairs	0	127	0%
Number of bonded IOBs	32	720	4%

Figure 13

V. CONCLUSIONS

In order to overcome the delay limitation imposed by the $3X$ calculation, we first decouple this computation and introduce it as an independent operation in the DFG. The proposed flow achieves faster data paths than the previous both multipliers the with an energy consumption lower than and close in general to the radix 8 implementation.

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