

Efficient Feature Selection and Classification Technique For Large Data

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ABSTRACT

Grey wolf optimizer (GWO) is a Heuristic evolutionary algorithm recently proposed, it is inspired by the leadership hierarchy and hunting mechanism of grey wolves in nature. In order to reduce the data set without affecting the classifier accuracy. The feature selection plays a vital role in large datasets and which increases the efficiency of classification to choose the important features for high dimensional classification, when those features are irrelevant or correlated. Therefore, feature selection is considered to use in pre-processing before applying classifier to a data set. Thus, this good choice of feature selection leads to the high classification accuracy and minimize computational cost. Though different kinds of feature selection methods are investigate for selecting and fitting features, the best algorithm should be preferred to maximize the accuracy of the classification. This paper proposes intelligent optimization methods, which simultaneously determines the parameter values while discovering a subset of features to increase SVM classification accuracy. In this paper, initial subset selection is based on the latest bio inspired Grey wolf optimization technique proposed. Which take off the hunting process of gray wolve. This optimizer search the feature space for optimal feature solution in diverse directions in order to minimize the option of trapped in local minimum and enhance the convergence speed. The Novel approach aimed to speed up the training time and optimize the SVM classifier accuracy automatically. The proposed model used to select minimum number of features and providing high classification accuracy of large datasets.

Keywords: Feature Selection, Classification, PSO, GWO , SVM

I. INTRODUCTION

Building accurate and efficient classifiers for large databases is one of the essential tasks of data mining and machine learning research. Usually, classification is a preliminary data analysis step for examining a set of cases to see if they can be grouped based on similarity to each other. The ultimate reason for doing classification is to increase understanding of the domain or to improve predictions compared to unclassified data. Many types of classification techniques have been proposed in literature that includes DT-SVM, SMO, etc. SVM is a learning machine used as a tool for data classification, Function approximation, etc., due to its generalization ability and has found success in many applications [7-11]. Feature of SVM is that it minimizes and upper bound of

generalization error through maximizing the margin between separating hyper plane and dataset. SVM has an extra advantage of automatic model selection in the sense that both the optimal number and locations of the basic functions are automatically obtained during training. The performance of SVM largely depends on the kernel [12], [13]. Classification in SVM is an example of Supervised Learning. Known labels help indicate whether the system is performing in a right way or not. This information points to a desired response, validating the accuracy of the system, or be used to help the system learn to act correctly. A step in SVM classification involves identification as which are intimately connected to the known classes is called feature selection. Feature selection and SVM classification together have been used even, when prediction of unknown samples is not necessary. They can be used to identify key sets which are involved in

whatever processes distinguish the classes. In this paper, we concentrate on GWO, developed by Mirjalili et al. [7] in 2014 based on simulating hunting behavior and social leadership of grey wolves in nature. Numerical comparisons showed that the superior performance of GWO is competitive to that of other population-based algorithms. Because it is simple and easy to implement and has fewer control parameters, GWO has caused much attention and has been used to solve a number of practical optimization problems [16–18]. However, like other stochastic optimization algorithms, such as PSO and GA, as the growth of the search space dimension, GWO algorithm provides a poor convergence behavior at exploitation [19, 20]. Therefore, it is necessary to emphasize that our work falls in increasing the local search ability of GWO algorithm According to [21].

1. Support Vector Machine

SVM structured as a two-class problem, where the classes are separable linearly. The input dataset D be represent in 2D as $(x_1, y_1), (x_2, y_2) \dots (x_{|D|}, y_{|D|})$, where x_i is the set of training tuples and y_i is the class label associated with training sample. In a training sample, SVM constructs a line of separation for two attributes (x, y) and a plane of separation for three attributes and a hyper plane of separation for n dimensions. To make the SVM optimization problem accurately obedient by writing Minimize in Equation (1), where $\varepsilon_i > 0, i = 1, 2 \dots l$

$$\frac{1}{2}w \cdot w + C \sum_{i=1}^l \Phi(\varepsilon_i) \quad (1)$$

2. Grey Wolf Optimization

GWO algorithm consider alpha (α) wolves are the fittest solution inside the pack, while the second and third best solutions are named Beta (β) and delta (δ) respectively. The result of solutions inside the pack (population) are considered omega (ω). The process of hunting a prey is guided by α, β and ω .

The first step of hunting a prey is circling it by α, β and ω . The mathematical model of circling process as shown in equations 2.

$$X(t+1) = X_p(t) + A \cdot D \quad (2)$$

Where X is the grey wolf position. t is the number of iteration. $p X$ is prey position and D is evaluated from Equation (3).

$$D = |C \cdot X_p(t+1) - X(t)| \quad (3)$$

The A and C are coefficient vectors are evaluated based on Equations (4) and (5) respectively.

$$A = 2a \cdot r_1 - a \quad (4)$$

$$C = 2r_2 \quad (5)$$

Where a is a linearly decreased from 2 to 0 through the number of iterations, which is used to control the tradeoff between *exploration* and *exploitation*. Equation (6) used to update the value of variable a , where $NumIter$ is the total number of iterations. Two random vectors between $[0,1]$ namely 1 r and 2 r to simulate hunting a prey (find the optimal solution). The solutions alpha, beta and delta are considered to have a good knowledge about the potential location of prey. These three solutions helps others wolves (omega) to update their positions according to the position of alpha, beta and delta. Equation 6 presents the formula of updating wolves' positions.

$$a = 2 - t(2 / NumIter) \quad (6)$$

$$X_{t+1} = X_1 + X_2 + X_3 \quad (7)$$

The values of X_1, X_2 and X_3 is evaluated as in Equations (8) (9) and (10) respectively.

$$X_1 = |X_\alpha - A_1 \cdot D_\alpha| \quad (8)$$

$$X_2 = |X_\beta - A_2 \cdot D_\beta| \quad (9)$$

$$X_3 = |X_\delta - A_3 \cdot D_\delta| \quad (10)$$

The X_1, X_2 and X_3 are the best 3 solutions in the population at iteration t . The values of A_1, A_2 and A_3 are evaluated in Equation (3). The values of D_α, D_β and D_δ are evaluated as shown in Equations (11) (12) and (13) respectively.

$$D_\alpha = |C_1 \cdot X_\alpha - X| \quad (11)$$

$$D_\beta = |C_2 \cdot X_\beta - X| \quad (12)$$

$$D_\delta = |C_2 \cdot X_\delta - X| \quad (13)$$

The GWO algorithm simulates the hunting and social leadership of grey wolves in nature [16]. The algorithm is simple, robust, and has been used in various complex problems. In the GWO algorithm, the colony of grey

wolves is divided into four groups: alpha (a), beta (b), delta (d), and omega (w). In every iteration, the first three best candidate solutions are named a , b , and d . The rest of the grey wolves are considered as w , and are guided by a , b , and d to find the better solutions. The mathematical model of the w wolves' encircling process is as follows

1) Social hierarchy

In the mathematical model of the social hierarchy of the grey wolves, alpha (α) is considered as the fittest solution. Accordingly, the second best solution is named beta (β) and third best solution is named delta (δ) respectively. The candidate solutions that are left over are taken as omega (ω). In the GWO, the optimization (hunting) is guided by alpha, beta, and delta. The omega wolves have to follow these wolves.

2) Encircling Prey

The grey wolves encircle prey during the hunt. The encircling behavior can be mathematically modeled as follows [18]

Where A and C are coefficient vectors, X_p is the prey position vector, X denotes the grey wolf's position vector and „ t “ is the current iteration. The calculation of vectors A and C is done as follows in Equation (14),(15)

$$A = 2 \cdot a \cdot r_1 - a \quad (14)$$

$$C = 2 \cdot r_2 \quad (15)$$

Where values of „ a “ are linearly reduced from 2 to 0 during the course of iterations and r_1 , r_2 are arbitrary vectors in gap $[0, 1]$.

3) Hunting

The hunt is usually guided by the alpha, beta and delta, which have better knowledge about the potential location of prey. The other search agents must update their positions according to best search agents position. The update of their agent position can be formulated as follows [18]:

4) Search for prey and attacking prey

The A is an arbitrary value in the gap $[-2a, 2a]$.

- When $|A| < 1$, the wolves are forced to attack the prey. Attacking the prey is the exploitation ability and searching for prey is the exploration ability. The random values of „ A “ are utilized

to force the search agent to move away from the prey.

- When $|A| > 1$, the grey wolves are enforced to diverge from the prey.

II. METHODS AND MATERIAL

One of the recently proposed heuristic evolutionary algorithms is the GWO, inspired by the leadership hierarchy and hunting mechanism of grey wolves in nature. This paper presents an extended GWO algorithm. The GWO algorithm, proposed by Mirjalili et al. (2014) [7], is inspired by the hunting behavior and social leadership of grey wolves in nature. It is similar to other Meta heuristics, and in GWO algorithm, the search begins by a population of randomly generated wolves (candidate solutions). In order to formulate the social hierarchy of wolves when designing GWO, in this the population is split into four groups: alpha (α), beta (β), delta (δ), and omega (ω). Over the course of iterations, the first three best solutions are called α , β , and δ , respectively. The respite of the candidate solutions are named as ω . Herein algorithm, the hunting (optimization) is guided by α , β , and δ . The ω wolves are required to encircle α , β , and δ to find better solutions. Over the previous few years, statistical learning has become a precise discipline. Indeed, many scientific domains need to analyze data which are increasingly complex in the field of medical research, financial analysis, Business analysis and computer vision provide very high dimensional. Classifying such data is a very challenging problem. In high dimensional feature spaces, the performances of learning methods suffer from the curse of dimensionality, which degrades both classification accuracy and efficiency. In this paper initial subset selection is based on Grey wolf optimization technique. It shows in Fig.1

The proposed method involves

1. Initial subset selection using GWO
2. Modelling the distribution of support vectors
3. Training the GWO Support Vector Machine

1. Initial subset selection using GWO

The pre-processed dataset undergoes initial subset selection optimized by using GWO. It initializes the number of wolves in the pack n . In the first stage, GWO is used to pass through a filter out the redundant and irrelevant information by adaptively searching for the best feature combination in the medical data. In the proposed GWO, is firstly used to generate the initial positions of population, and then GWO is utilized to update the current positions of population in the discrete searching space. In the second stage, the effective and efficient GWOSVM classifier is conducted based on the optimal feature subset obtained in the first stage. Figure 2 presents a detailed flowchart of the updating position of the grey wolf. The GWO is mainly used to adaptively search the feature space for best feature combination. The best feature combination is the one with maximum classification accuracy and minimum number of selected features. The fitness function used in GWO to evaluate the selected features is shown as the following equation(16) where P is the accuracy of the classification model, L is the length of selected feature subset, N is the total number of features in the dataset, and α and β are two parameters corresponding to the weight of classification accuracy and feature selection quality, $\alpha \in [0,1]$ and $\beta = 1 - \alpha$.

$$\text{Fitness} = \alpha P + \beta \frac{N-L}{N} \quad (16)$$

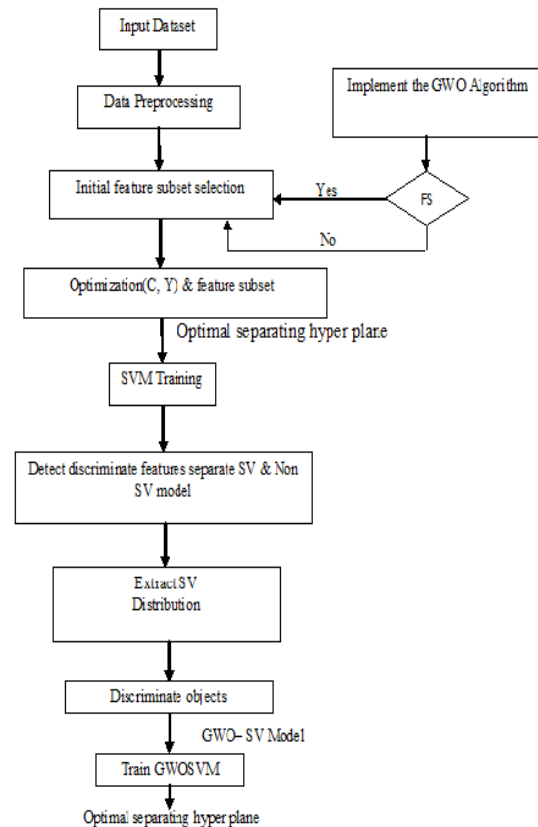


Figure 1. Flow chart of Proposed method

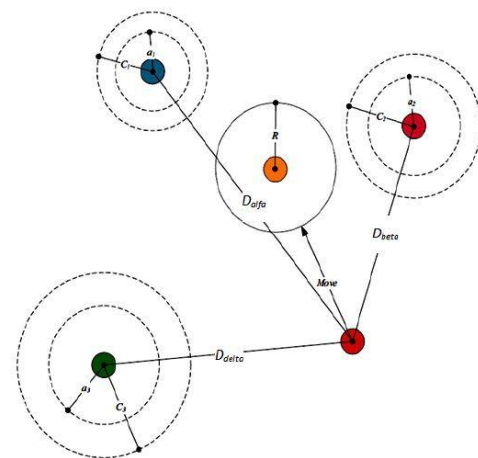


Figure 2. Updating Position of Grey Wolf

Algorithm1. Grey wolf optimization

Input: Initialize the number of wolves in the pack n

Total number of iterations for optimization N_i

Maximum number of Iteration M_i

Output : Optimal grey wolf position x_α

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Best fitness value  $f(x_\alpha)$ 
Begin
Generate the initial population of grey wolves
position
Initialize  $\alpha, A, C$ 

Calculate the fitness of each grey wolf
 $X_\alpha$ -grey wolf with first maximum fitness
 $X_\beta$ -grey wolf with first maximum fitness
 $X_\delta$ -grey wolf with first maximum fitness
while  $k < M_i$ 
for each wolf $i$ 
update the position of the current grey wolf
by eq()
end for
update  $\alpha, A, C$ 
Calculate the fitness value of all grey wolves
Update  $X_\alpha, X_\beta, X_\delta$ 
 $K=k+1$ ;
End while
End

```

In these formulas, it may also be observed that there are two vectors A and C obliging the GWO algorithm to explore and exploit the search space. With decreasing A , half of the iterations are devoted to exploration ($|A| \geq 1$) and the other half are dedicated to exploitation ($|A| < 1$). The range of C is $2 \leq C \leq 0$, and the vector C also improves exploration when $C > 1$ and the exploitation is emphasized when $C < 1$. Note here that A is decreased linearly over the course of the iterations. In contrast, C is generated randomly whose aim is to emphasize exploration/exploitation at any stage avoiding local optimal. The main steps of grey wolf optimizer are given in Algorithm 1.

2. Modeling the distribution of support vectors

Once all the SV and outliers of C have been identified in the previous stage.

3. Training the GWOSVM

In this study, the data were scaled into $[-1, 1]$ by normalization for the facility of computation. In

order to acquire unbiased classification results, the k -fold cross validation (CV) was used [40]. This study took 10-fold CV to test the performance of the proposed algorithm. However, only one time of running the 10-fold CV will result in the inaccurate evaluation. So the 10-fold CV will run ten times regarding the parameter choice of SVM, different penalty parameters $C = \{2^{-5}, 2^{-4}, \dots, 2^4, 2^5\}$ and different kernel parameters $\gamma = \{2^{-5}, 2^{-4}, \dots, 2^4, 2^5\}$ were taken to find the best classification results. Therefore, C and γ for GWOSVM are set to 32 and 0.5 in this study, respectively. The global and algorithm specific parameter setting is outlined in Table 2. To the optimization of parameter C is handling by GWO Algorithm, it consists of following steps. The search performance of is using a population (swarm) of Individuals called particles. It starts with random Initialization of particles. This work is proposed as a fitter with Feature Selection (FS). FS act as a fitness function value each particle objective function value is decided by this fitness function. The Novel approach aimed to speed up the training time and optimize the SVM classifier accuracy automatically. The proposed model used to select minimum number of features and providing high classification accuracy of high dimensional datasets. It has been successfully applied to optimizing various continuous functions. In general, subset C is used to compute a model of the optimal separating hyperplane. This is not optimal generally because of random selection of examples from training dataset discard important objects.

III. COMPUTATIONAL RESULTS

In the experiments, when using the proposed intelligent optimization methods, we considered the nonlinear SVM based on the popular Gaussian kernel (referred to as SVM-RBF). And $[10^{-3}, 3]$, so as to cover high and small regularization of the classification model, as well as thin kernels, respectively. The related parameters C and γ for this kernel were varied in the arbitrarily fixed ranges $[10^{-3}, 300]$. In this learning, we have performed our conduction on the massive Dataset taken from UCI machine learning repository (UCI Repository of

Machine Learning Databases). The dataset contains instances. Training size, testing size and features be described with the use of proposed algorithm be evaluated. Table.1 Shows Data set description, Table.2 Represent Accuracy evaluation, Fig.3 shows Parameters evaluations. Concerning the PSO algorithm, we considered the following standard parameters: swarm size $S = 20$, inertia weight $w = 1$, acceleration constants $c1$ and $c2$ equal to 2, and maximum number of iterations fixed at 300. The parameters setting are summarized in Table 1.

TABLE 1

| Parameter setting | value |
|---------------------------|--|
| Population size | 30 |
| No of Iteration | 500 |
| Search domain | [0,1] |
| α Fitness function | 0.99 |
| β Fitness function | 0.01 |
| penalty parameters | $C = \{2^{-5}, 2^{-4}, \dots, 2^4, 2^5\}$ |
| kernel parameters | $\gamma = \{2^{-5}, 2^{-4}, \dots, 2^4, 2^5\}$ |

TABLE 2: ACCURACY EVALUATION

| Fold # | PSOSVM | | GWOSVM | |
|--------|-------------------|------------------|-------------------|------------------|
| | Selected features | Overall accuracy | Selected features | Overall accuracy |
| 1 | 12 | 85 | 10 | 90 |
| 2 | 8 | 86 | 11 | 88 |
| 3 | 14 | 87 | 12 | 86 |
| 4 | 11 | 88 | 12 | 85 |
| 5 | 10 | 87 | 12 | 83 |
| 6 | 9 | 84 | 11 | 83 |
| 7 | 14 | 86 | 13 | 86 |
| 8 | 14 | 88 | 11 | 85 |
| 9 | 13 | 87 | 12 | 84 |
| 10 | 10 | 89 | 8 | 86 |
| 11 | 13 | 91 | 10 | 80 |
| 12 | 13 | 85 | 10 | 81 |
| 13 | 8 | 89 | 12 | 82 |

The proposed construction consists of two main stages, which are feature selection and classification, respectively. Firstly, an improved grey wolf optimization was proposed for selecting the most informative features in the specific medical data. Secondly, the effective GWOSVM classifier was used to perform the prediction based on the representative feature subset obtained in the first stage. The proposed method is compared against well-known feature selection methods including GA and GWO on the two

disease diagnosis problems using a set of criteria to assess different aspects of the proposed framework. The simulation results have demonstrated that the proposed IGWO method not only adaptively converges more quickly, producing much better solution quality, but also gains less number of selected features, achieving high classification performance. In future works, we will apply the proposed methodology to more practical problems. The proposed algorithm handle large datasets and performs higher accuracy even with high speed it sedating important features and building effective classifiers based on GWO, the method scans the entire data and obtains a small subset of data points the used to reduce the training data sets. Using this detection of critical instances determine the decisive boundaries for this PSO algorithm and find a fitness function to discriminates between support and non support vectors from a small data set to select the best data points in the entire data set. The novel approach captures the pattern of the data and provides enough information to obtain a good performance it obtain high accuracy with less number of support vectors.

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